# Statistical Technique for Grouping Tropical Timbers into Similar Strength Groups

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## **Abstract**

This paper focuses on statistical technique for the assessment of grouping tropical timbers into similar strength groups. The Student's t-test was conducted to evaluate whether the values of mean MOE in bending of two timbers are statistically different from each other. A total of 23 Malaysian hardwoods of different strength classes were assessed by comparing MOE value of one timber to the next. The assessment is limited to species of data obtained from at least 40 specimens and from at least 5 trees. However, more species can be added by conducting extra test based on the similar test procedure. The results showed that from 23 timbers evaluated, they fall into 6 different levels, indicating 6 different timber groups of similar MOE. The outcome is almost similar to the previous groupings done through different methods. The grouping will serves as a guideline for converting small size specimens' data into the equivalent structural timber test values.

**Keywords:** Tropical timber, Strength group, CE marking

## 1. Introduction

Anecdotal evidence indicates that the earliest report on the mechanical properties of Malaysian timbers was in 1940 by A.V. Thomas. It was documented in the Malayan Forester, which gave the results of small clear tests on green specimen of some timbers. Since then much more data on strength properties had been collected through assessments of small clear specimens. The compilation of test results for the ultimate stresses of Malaysian timbers is represented in the Timber Trade Leaflet No. 34. It contains strength data of the most popular Malaysian timber species in list form, reporting not only the mean values, but also the number of test and the standard deviation for each mean value (Lee, 1993).

To place the Malaysian hardwood timbers in the European strength classes, mechanical properties such as modulus of rupture (MOR) and modulus of elasticity (MOE) derived from structural size specimen tests must be determined beforehand (EN 338). Thus there are only two means to achieve the goal; one is to conduct the destructive

structural size timber test, or, the other way is to manipulate the existing data so that it is equivalent to the properties obtained from structural size specimen test. In a reference document of the European Standards for structural size timber testing, a clause mentions briefly on the alternative method of determining bending strength and modulus of elasticity of timber by altering existing small clear specimens' data (EN 384).

Two vital properties to be determined from structural size testing are the characteristic values of bending strength and mean modulus of elasticity, and they are allowed to be adjusted from small size specimen data via conversion factor. However, stated in the document that the conversion factor only applies to timbers of similar group.

Therefore it is crucial to group the Malaysian timbers into similar group assemblage. However, the most important issue to be resolved beforehand is what is the term "similar" referring to? Since the whole assessment is apparently concerning the strength and stiffness of timber, hence the term "similar" should reflects the similarity in term of mechanical properties among timbers. And since the mechanical properties of the structural size specimen are undetermined, the similarity of the mechanical properties should base on the data of small clear specimen test.

Small clear specimens are defined as specimens with no visible deviation over the specimen's length. For tropical timber this is hard to distinguish. In practice, even the grain angle deviation is not easy to determine (Geert, 2010). Thus, for tropical timber, it is practical to assume that the small size specimens are the corresponding small clear specimens.

In addition, there is a need to represent Malaysian timbers in a single strength value that accounted the strength variability among species. For example, the required values are the mean MOR and mean MOE of Dark Red Meranti. However, the existing data recorded the mean MOR and MOE of Seraya (*Shorea curtisii*), Meranti bukit (*Shorea platyclados*) and Meranti sengkawang merah (*Shorea singkawang*) separately (Lee, 1993).

As a matter of fact, the practice in the local timber industry is to describe timbers by their trade names. Furthermore, with more than 3000 species of Malaysian timbers, it is almost impossible to characterize the mechanical properties for each species (Wong, 1982). Thus, a single reliable MOR and MOE values for a timber group is valuable to indicate its' mechanical properties which includes the variation between species. Hence a "timber" is agreeable to be a "group of timber having the same trade name in the market".

Engku (1971) calculated basic stresses for Malaysian hardwoods to represent each timber with a single strength value, and subsequently determined the different grades for structural application. However the calculation of the basic stresses for each particular timber was based on a single species instead of considering all tested species. Furthermore, the values are more likely towards safety stipulation for structural design and are not accurate in depicting the strength distribution of the timbers.

Thus, it is necessary to determine the weighted mean and combined standard deviation of MOR and MOE of the multispecies Malaysian timbers since the values affect the depiction of the strength and influence the ultimate utilisation of the timbers. Assuming that the dispersion of strength data for each species for one timber can be represented in a normal distribution plot, weighted mean and combined SD are eventually represent by the combination of each bell curve (Figure 1). The outcome is a single normal distribution plot that represents all tested species for that particular timber. It should be able to portray the strength dispersion from every original bell curve which is actually the strength data distribution of every specimen from every tested species.

Under the older method of grouping Malaysian timbers into strength groups, only the compressive strength is considered. However, in deciding the position of the timber in the corresponding group, bending strength had also been considered. This method divided timbers into four strength group, A, B, C and D (Burgess 1956). Engku (1972) proposed a more accurate A to D strength grouping of Malaysian timbers based on their basic and grade stresses. This modern approach of strength grouping is more indicative of the actual strength properties of the timbers. Later on, Chu Yue Pun introduced the new strength grouping of Malaysian timbers in his textbook entitled the Timber Design Handbook in 1997 (Chu, 1997). This new grouping system introduced the seven strength group namely S.G.1 to S.G.7. However, the grouping procedure was ambiguous and became a dubious issue in the local timber industry since all the related documents are missing.

This assessment is limited to species of small clear specimen data obtained from at least 40 specimens and from at least 5 trees (EN 384). However, that does not means that the unqualified species shall never be permissible to be converted. It is just a matter of adding more data to the existing small clear specimen records simply by conducting extra test based on the similar test procedure (which was 2" by 2" by 30" static bending test). For example, mean MOR and MOE of bending of Tembusu were obtained from eleven (11) specimens from two (2) trees (Lee, 1993). In order to accumulate Tembusu into the corresponding similar group, an extra 29 number of specimens from another 3 trees should be tested on bending to fulfill the requirements of "at least 40 specimens from 5 trees".

These analyses however were restricted to data available in Timber Trade Leaflet No.34 - The Strength Properties of Some Malaysian Timbers (Lee, 1993). Some information is not available most likely because they have not been tested for air-dried specimen (Engku, 1971) or probably the values were recorded in some other documents.

### 2. Research Methods

A report by Hugh Mansfield-Williams (2010) suggested that a statistically robust method should be implemented to determine whether timbers in comparison are similar or not. This is applicable since the mean values of the strength data are available and can be compared. Several studies on timber strength comparison had been conducted using t-test analysis. Kliger (1995) done a study on the quality of timber products from Norway spruce based on the t-test calculation. Another work by Okai (2004) compared the mechanical properties between branchwood and stemwood of selected tropical tree species of *Aningeria robusta* and *Terminalia ivorensis* by the similar method.

The method for the t-test analysis can be found in most of the mathematic reference books, but for the purpose of the present report, it will be discussed in brief. Generally, the Student's t-test assesses whether the means of two groups are statistically different from each other.

$$\frac{signal}{noise} = \frac{difference\ between\ group\ means}{variability\ of\ groups}$$
 
$$\frac{signal}{noise} = t - value$$

The top part of the ratio is just the difference between the two means or averages while the bottom part is a measure of the variability or dispersion of the scores. The specific formula is given below:

$$t - value = \frac{\overline{X}_a - \overline{X}_b}{\sqrt{\frac{\text{var}_a}{n_a} + \frac{\text{var}_b}{n_b}}}$$

Once the t-value is computed, a table of significance is referred to check whether the ratio is large enough to say that the difference between the groups is not likely to have been a chance finding. In most research, the rule of thumb is to set the probability level or sometimes called alpha level at 0.05. This indicates that five times out of a hundred a statistically significant difference between the means will be found even if there was none. It is also needed to determine the degrees of freedom for the test. In the t-test, the degree of freedom is the sum of the specimens in both groups minus two. Given the alpha level, the degree of freedom, and the t-value, the t-value from the standard table of significance is referred to determine whether the calculated t-value is large enough to be significant. If it is not, then it can be concluded that the means for the two groups is almost the same.

Weighted Mean and Combined SD Calculation

A basic principle in the Europe's system of timber strength classes is that the strength class can be determined by three main properties: bending strength, modulus of elasticity and density. For the bending strength and the density the 5%-lower fractile has to be determined and for the modulus of elasticity the mean value (Geert, 2004). Thus, modulus of elasticity in bending for specimens at 15% moisture content was picked as the comparison property since the mean values are available and because it represents the capability of a material to resist external forces. Furthermore, Alik (2006) showed that a weak correlation was found between small clear and structural size timber in term of modulus of rupture. Thus, strength grouping base on MOR values are not appropriate since the grouping meant to aid structural size timber assessment.

The weighted mean for N samples of n number of specimens is defined via the equation:

$$\overline{x} = \frac{\sum_{i=1}^{N} n_i x_i}{\sum_{i=1}^{N} n_i}$$

Reverse algebraic approach was applied based on the basic SD formula to combine standard deviations. The combined SD calculation for N samples of n number of specimens was based on the principle of SD:

$$s = \sqrt{\frac{1}{n-1} \sum_{i=1}^{n} (\bar{x} - x_i)^2}$$

$$s^{2} = \frac{1}{n-1} \left( \sum \overline{x}^{2} - 2\overline{x} \sum x + \sum x^{2} \right)$$
$$s^{2} = \frac{1}{n(n-1)} \left( n\overline{x} \sum \overline{x} - 2n\overline{x} \sum x + n \sum x^{2} \right)$$

and since:

$$n\overline{x} = \sum x = \sum \overline{x}$$

Thus, it can be shown that:

$$s^{2} = \frac{1}{n(n-1)} (n \sum x^{2} - (\sum \bar{x})^{2})$$

This equation will be the combined SD formula for MOE data of the multispecies timbers. But before that,  $\sum x^2$  for each sample will be determined.

From the same equation:

$$\sum x^{2} = \frac{1}{n} [s^{2} n (n-1) + (\sum \overline{x})^{2}]$$

### 3. Results and Discussion

Weighted mean and combined SD calculation for Red Balau (RB)

Based on values in Table 1, using the formula of the weighted mean:

$$\bar{x} = \frac{\sum_{i=1}^{N} n_i x_i}{\sum_{i=1}^{N} n_i}$$

$$\bar{x} = \frac{(48)(14800) + (31)(17000)}{48 + 31}$$

$$\bar{x} = 15663.29 Mpa$$

Solving for  $\sum x^2$  of species 1:

$$\sum x^2 = \frac{1}{n} [s^2 n (n-1) + (\sum \overline{x})^2]$$

$$\sum x^2 = \frac{1}{48} (1880^2 [48] [47] + [(48)(14800)]^2)$$

$$\sum x^2 = 1.07 \times 10^{10}$$

Solving for  $\sum x^2$  of species 2:

$$\sum x^2 = \frac{1}{n} [s^2 n (n-1) + (\sum \overline{x})^2]$$

$$\sum x^2 = \frac{1}{31} (2660^2 [31] [30] + [(31)(17000)]^2)$$

$$\sum x^2 = 9.17 \times 10^9$$

Hence, for the combined SD is calculated as:

$$s^{2} = \frac{1}{n(n-1)} \left( n \sum x^{2} - (\sum \overline{x})^{2} \right)$$

$$s^{2} = \frac{1}{(79)(78)} \left( 79[1.07 \times 10^{10} + 9.17 \times 10^{9}] - [(48)(14800) + (31)(17000)]^{2} \right)$$

$$s = 2453.54$$

The complete results for weighted mean and combined SD calculation are presented in Table 2.

T-value calculation for Red Balau (RB) and Merbau

Based on values in Table 3:

$$t - value = \frac{\overline{X}_a - \overline{X}_b}{\sqrt{\frac{\text{var}_a}{n_a} + \frac{\text{var}_b}{n_b}}}$$

$$t - value = \frac{15663 - 15400}{\sqrt{\frac{2454^2}{79} + \frac{2300^2}{42}}}$$

t - value = 0.5849

t-value from calculation	0.58
alpha level	0.05
degree of freedom	119
t-value from the table of significance	1.98

Hence:

*t-value from calculation* < *t-value from the table of significance* 

Therefore, based on the t-value calculated, it can be concluded that Red Balau and Merbau are identical based on their MOE values.

The computations were continued in the same manner for the other timbers to find their respective t-value. For multispecies timbers, weighted mean and combine SD were calculated earlier to obtain the representative MOE and SD values for that particular timber group in order to conduct t-value exercise. The t-test was carried out by comparing one timber to the next, rather than comparing similarity between each species in the pack. Meaning, Red Balau was only compared with Ramin and subsequently with Merbau for the t-values rather than comparing it with every species in the list.

The total results for t-value analysis of the mean MOE of the small clear bending test data is represented in Table 2 below. As discussed previously, the entire analyses were restricted only to data available in Timber Trade Leaflet No.34. Besides, the grouping assessment is limited to data obtained from at least 40 specimens and from at least 5 trees for a single species group. However Bitis and Mempisang are included in this assessment since they lack only a specimen to be 40 specimens.

Referring to the results in Table 2, it appears that the results of the weighted mean MOR of RB, Kedondong, Mempisang and Merpauh by no means are issues since the differences of mean MOR within species of a same timber are around 10% or less (Lee, 1993). Thus, the calculated weighted mean MOR for these timbers are relevant. As for the MOE for these timbers, even though there are differences in the values between weighted mean and species mean, but the gaps are not significant. Thus, for these species, it can be considered that the weighted means of MOR and MOE and combined standard deviations obtained from the calculations are practical.

The differences of the mean MOR between species of Keledang, DRM and LRM vary from 15% to 22%. While the differences in mean MOE between species vary from 24% to 33%. If the differences between weighted values and species values of MOR and MOE for these timbers are calculated, the percentages will be much lower (Lee, 1993). Thus, for multispecies timbers known for large strength variation such as Keledang, DRM and LRM, the results of weighted means of MOR and MOE and combined standard deviations obtained from the calculations are reasonable.

On the whole, significant MOR and MOE differences between calculated weighted mean and species mean only seen for timbers known to have great strength variation between species such as Durian, Keruing, Nyatoh and Meranti groups. As a result, large values of combined standard deviation are observed from these timbers. Major differences in the mean MOR and MOE values is apparently an issue since it can directly affect the design and utilisation of the timber. Perhaps results of lower mean values will not agitate the existing structural design calculation, but results of higher values certainly need justifications.

The Malaysian Standard Code of Practice on structural use of timber (MS 544: 2001) is based on basic stresses which were derived from ultimate values of air-dry specimen tests (Engku, 1971). The current strength grouping of Malaysian timber, refer to as S.G.1 up to S.G.7 grouping, was also developed based on basic stresses derived from ultimate strength values (Chu, 1997). Besides, the previous Malaysian strength grouping known as A to D grouping was also put up based from the same basic stresses (Engku, 1972). For the purpose of deriving these basic

stresses, the analysis was based on the weakest component of the group (Engku, 1971) and most probably with the consideration of sufficient sampling of at least 5 trees.

For example, the reference values of MOR and MOE for Keruing are 96 Mpa and 17,100 Mpa respectively, based on the ultimate stresses of *Dipterocarpus baudii*. Likewise, the reference MOR and MOE values for Durian are 74 Mpa and 11700 Mpa respectively, based on *Durio oxyleyanus*. Similarly, the reference MOR and MOE values for Dark Red Meranti are 77 Mpa and 12100 Mpa respectively, based on ultimate stresses of *Shore platyclados* (Engku, 1971). Referring to Table 2, it is therefore logical to dictate that the weighted mean MOR and MOE of Keruing, Durian and DRM obtained from the calculation are equivalent to the reference values implemented in the MS 544 document.

One important note is that the calculations only involved air-dry specimens. For a better representation of the timber species strength dispersion, it is recommended that more air-dry specimen tests are conducted and more species is added in the sampling. For example, the timber of group Nyatoh was only represented by 2 species of available air-dry data, Palaquium impressinervium and Palaquium gutta, even though there were 5 species tested in total (Lee, 1993). Furthermore, the untested species can become the crucial data in signifying the strength of Nyatoh since they have lower values of green MOR and MOE compared to the two. The issue of the untested species is the same for WM (Lee, 1993). Thus, weighted mean values of MOR and MOE of Nyatoh and WM do not reflect the true strength within their species variation. Apparently, Nyatoh and WM have the largest values of combined standard deviation for MOR.

The t-test results showed that from 23 timbers evaluated, they fall into 6 different MOE levels, from the highest value in group E1 to the lowest value in group E6. Each group is separated for being unequal through the t-value tests performed. Balau, Merbatu and Cengal are in a similar assemblage in E2. Kapur and the others in E3 are demonstrated to be identical, whereas Bitis having the highest MOE among all was unable to be put in equality with any other and is alone in E1. However, taken as a whole, the arrangement is comparable to the A to D Strength Groups by Burgess (1956) and Engku (1972) which all the above timber were placed in strength group A and B. However the array is not similar for S.G. by Chu (1997) where Kapur and Keruing were placed in much inferior strength groups in S.G.4 and S.G.5 respectively. The possible explanation for this disparity could be due to the different grouping procedure employed by Chu which was not documented appropriately.

It appears that group E4 listed the most timbers compared to the other groups. The arrangement is parallel to A to D Strength Groups (Burgess, 1956; Engku, 1972) which put the timbers in Group B and C except for Red Balau which was placed in Group A. This is as well similar to the SG1 to SG7 grouping which the timbers were categorized in SG4 and SG5, except for Red Balau which was placed in SG3 (Chu, 1997). The placing of Red Balau in Group A by Burgess and Engku is explainable by referring to the applied methods. Burgess put a minimum compressive stress value of 55.2 Mpa for Group A timbers, and Red Balau compressive stress value of the species *Shorea ochrophloia* surpassed the limit. Likewise, Engku set minimum specifications of Group A timbers based on basic and grade stresses, again Red Balau exceeded (Engku, 1971).

The results assembled four timbers in group E5, covering the much lower MOE values. Again, the similarity was recorded in A to D strength grouping which the timbers were sorted in Group C (Engku, 1972). Besides, the arrangement is the same by Chu (1997) which put the timbers in SG5 and SG6. However, there is a slight difference in A to D grouping by Burgess (1956) whereby Durian was located in Group D. This could possibly implies that during the time of Burgess, only the lower strength of Durian species, *Neesia altissima* was tested and through time, the much higher strength of Durian species were also included in the data (Lee, 1993). Though, the exact dates for each species was tested could not be determined.

The timber with lowest MOE, Terentang, was observed to be unequal to any of the reviewed timbers. This is most probably because of the very low MOE value of Terentang compared to the others in the list. The similar results were also demonstrated in the older groupings which placed Terentang in the lowest strength group of Group D and SG7 (Burgess, 1956; Engku, 1972; Chu, 1997).

### 4. Conclusions

It is not a final declaration for the grouping similar timber task. Further improvement is applicable to lessen the number of groups by additional t-test analysis on other properties such as bending MOR or density. Perhaps a different statistical analysis method can be performed to better illustrate the similarity of the timbers. Also, more species can be added to their respective groups through extra small clear timber specimen tests to obtain more small clear data.

However, the results reflects that based on average MOE value, a reliable strength grouping can be established for Malaysian timbers. The pattern of timber strength arrangement through t-test analysis indicates that the outcome is almost similar to the grouping by Burgess (1956) which based on compressive stress and also grouping by Engku (1972) which based on basic and grade stresses. In addition, the pattern is also similar to the listing by Chu (1997) despite the work was being criticized for having dubious procedure (Tan, 2010).

Referring to the above table, it can be justified that timbers in E4: Red Balau, Merpauh, Nyatoh, Ramin, Merbau, White Meranti, Bintangor, Keledang and Mempisang are having similarity based on small clear specimens MOE values. Thus conversion factors developed from any of these timbers are valid for every timber in that particular group. For example, conversion factors developed from structural size tests of Red Balau are applied for every timber in E4, even without its' structural size test data.

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Table 1. Mean MOE, standard deviations and number of specimens of Red Balau species

Vernacular Name	Species Name	Mean MOE	SD	n
		(Mpa)		
Membatu	Shorea guiso	14800	1880	48
Membatu Jantan	Shorea ochrophloia	17000	2660	31

Table 2. Weighted means and standard deviations of MOR and MOE of some multispecies Malaysian timbers

Timber Name	MOR (Mpa)	Total number of specimen	$\mathrm{SD}_{\mathrm{MOR}}$	MOE (Mpa)	Total number of specimen	$\mathrm{SD}_{\mathrm{MOE}}$
Balau, Red (RB)	99.61	79	11.30	15663	79	2454
Durian	77.87	55	14.76	12271	55	3002
Kedondong	81.00	52	8.87	12177	52	1307
Keledang	eledang 100.91 46		15.47	14065	46	2497
Keruing	98.34 187		17.17	17645	187	3432
Mempisang	81.15	39	8.37	13923	39	1610
Meranti, Dark Red (DRM)	82.72	93	10.49	12845	93	1619
Meranti, Light Red (LRM)	70.74	91	9.65	12257	91	2019
Meranti, White (WM)	101.19	127	18.54	14808	127	3401
Merpauh	102.21	98	11.32	16686	98	2042
Nyatoh	113.00	50	24.72	16348	50	3225

Table 3. Mean MOE, standard deviations and number of specimens of Red Balau and Merbau

Timber Name	Mean MOE	n	SD
	(Mpa)		
Red Balau	15663	79	2454
Merbau	15400	42	2300

Table 4. Groups of Malaysian timbers having the similar MOE

E1	E2		Е3		E4		E5		E6		
Bitis	23800	Balau	20100	Kapur	18700	Merpauh	16686	DRM	12845	Terentang	7000
		Merbatu	19700	Kempas	18600	Nyatoh	16348	Durian	12271		
		Cengal	19600	Kekatong	18400	Ramin	15900	Meranti Light Red	12257		
				Tualang	17800	Balau Red	15663	Kedondong	12177		
				Keruing	17645	Merbau	15400				
						Meranti White	14808				
						Bintangor	14300				
						Keledang	14065				
						Mempisang	13923				

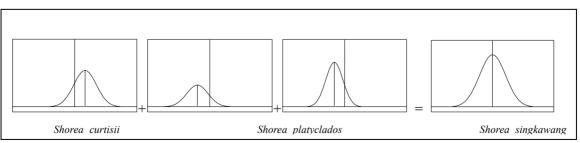


Figure 1. Weighted mean and combined SD of a multispecies Malaysian timber represented in normal distribution structures